A Model for Undercut Etching

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Introduction

- Undercutting causes particle removal by isotropic etching of the substrate on which the particle adheres
- Adhesion force can be approximated as the sum of the van der Waals force and the electrostatic double layer force
- Particle is removed when the net adhesion force is repulsive E = E

$$F_{A} = F_{vdW} + F_{E}$$

$$\uparrow \qquad \uparrow$$

$$\uparrow \qquad \uparrow$$

$$Total \quad van \ der \quad Electrostatic$$

$$Adhesion \quad Waals \quad Double \ Layer$$

$$Force \qquad Force \qquad Force$$



- Provide a scientific basis for undercut cleaning
 - Interpret cleaning rates in terms of measurable systems parameters
 - Develop general approach such that extension to include hydrodynamics, megasonics possible
 - To facilitate interpretation, focus on model system
 - Micron-scale polystyrene latex adhering to SiO₂



Overall Approach



The van der Waals Force Model



Theory – van der Waals Force



A Care Char

FFT Model for surfaces



Fourier transform equation:

$$f(k) = \int_{-\infty}^{\infty} f(x) e^{-i2\pi f x} dx$$

Fourier transform of surface profile



 $f(x) = \sum_{k=-\infty}^{\infty} \hat{f}_k e^{ikx}$

$$\hat{f}_{k} = \frac{1}{2N} \sum_{j=0}^{2N-1} f(x_{j}) e^{ikx_{j}}$$

Addition of random phase angle



$$f(x, y) = \sum_{k=0}^{n-1} \sum_{l=0}^{m-1} F_{k,l} e^{i2\pi \left[\phi_{k,l} + \frac{kx}{m} + \frac{ly}{n}\right]}$$



Measurement of van der Waals Force

Particles Mounted on AFM Cantilevers







The Model System



 $F_E = \text{EDL Force}$ $F_{vd} = \text{VDW force}$ $a_o = \text{Contact radius}$ $h_0 = 0.4 \text{ nm}$ d = Particle diameter

- Rough, deformable spherical particle on a rough surface
- Particle deforms elastically circular region of contact
- Particle is assumed to have attained equilibrium deformation



The Undercut Removal Model



The Undercut Removal Model





Electrostatic Double Layer Force

$$F_{E} = \frac{\varepsilon\varepsilon_{0}d\left(\psi_{p}^{2} + \psi_{s}^{2}\right)}{4} \cdot \frac{\kappa e^{-\kappa h}}{1 - e^{-2\kappa h}} \cdot \left[\frac{2\psi_{p}\psi_{s}}{\psi_{p}^{2} + \psi_{s}^{2}} - e^{-\kappa h}\right]$$

$$F_{E,total}\Big|_{t} = F_{E,deform}\Big|_{t} + \int_{a}^{b} F_{E}(h(x)\Big|_{t})dx$$



- d = Particle diameter
- h = Particle-surface separation distance
- ε = Medium dielectric constant
- ψ = Zeta potential (*f*(*I*,*pH*))
- κ = Reciprocal double-layer thickness
- I = Medium ionic strength
- Electrostatic double layer (EDL) force
 - can be attractive or repulsive
- EDL Force is a function of:
 - particle-surface separation distance
 - system Chemistry
 - particle, surface zeta potentials



Geometry of the System



$$r_{1} = \frac{d}{2}$$

$$r_{2} = R \cdot t$$

$$0 \le \varphi \le \left[\frac{\pi}{2} - \sin^{-1}\left(\frac{2a_{0}}{d}\right)\right]$$

$$0 \le \theta \le \frac{\pi}{2}$$

$$h_1 = h_0 - \alpha + Rt + \frac{d}{2} (1 - \sin\varphi)$$

$$h_2 = h_0 + Rt\sin\left(\frac{\pi}{2} - \theta\right)$$



Undercut Removal





Determination of Etch Rate (SiO₂ in 20:1 BHF)



^{*} Monk et al. Thin Solid Films, **232**, 1 (1993)



Particle Removal by Undercut Etching

- Etch rate of TEOS-sourced silicon dioxide in 20:1 BHF = *R* = 31nm/min
- Etching was carried out in excess of BHF no mass transport limitations
- Undercut etching results in
 - Decrease in contact area (deformed region)

 $a(t) = a_0 - Rt$

a(t) = instantaneous contact area $a_0 = equilibrium contact area$

- Increase in particle – surface separation distance

 $h(t) = h_0 + Rt$ $h_0 = initial separation distance$

• Removal occurs at a given a(t) and h(t) for which $F_{vdW} < F_E$



Measurement of Electrokinetic Potentials

Particle Zeta Potentials



Smoluchowski Equation

$$\zeta = 113,000 \frac{\mu}{\varepsilon} \text{ EM} \text{ (mV)}$$

Streaming Potential Equation

$$\zeta = 135500 \quad \frac{\Phi \,\mu k_e}{\Delta P \,\varepsilon \varepsilon_o} \quad (\text{mV})$$





Surface Streaming Potentials



Dependence of Removal on pH



Removal Experiments



Experimental Procedure

- 7 and 15 µm PSL spheres were spray deposited onto 200mm wafers with TEOS-sourced SiO₂
- Particles were allowed to settle for 24 hrs on the surface to allow them to deform
- Pre-Etch scan of the wafer surface was obtained using a Tencor Surfscan SP1 system at SEZ, America
- The wafers were immersed in 20:1 BHF solution at 25 °C for various etch times. The etch bath was stagnant to avoid particle removal due to hydrodynamic forces
- Post-Etch scans were obtained using the Surfscan system and the percentage of particles adhering was determined



Effect of Immersion and Short Etch Time

Particle Size	Fraction particles adhering	Deviation
7 µm	0.91	± 0.01
15 µm	0.95	± 0.03

Effect of immersion on particles adhering



Model Validation (15 µm PSL)





Model Validation (7 µm PSL)





- Particle removal highly dependent on adhesion through
 - Particle size distribution
 - Roughness
- Zeta potentials of the particle and surface play an important role in determining ease of particle removal
- Undercutting results in increased particle-surface separation distance and decreased particle-surface contact area
 - Results in reduction of net adhesion force
- Predictions from the undercut removal model agree well with experimental data



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